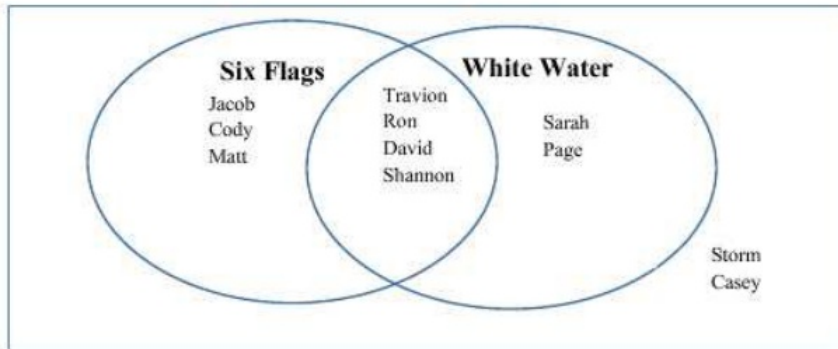


Station 1

This Venn diagram shows the name of students in Ms. Avery's class that like Six Flags and White Water.



Use the information in the Venn diagram above for questions 1 -3.

1. Find $P(\text{Six Flags} \cup \text{White Water})$. $9/11$
2. Find the $P(\text{Six Flags} \cap \text{White Water})$. $4/11$
3. Find $P(\text{Six Flags} \cap \text{White Water})'$ $3/11$
4. Find $P(\text{Six Flags} \cap \text{White Water})'$ $7/11$

Station 2

1. If $P(A)$ is the probability that an event will occur, which of the following must be false? **Can be more than one answer**

A. $\frac{5}{3}$

B. 0

C. $-\frac{1}{6}$

D. $\frac{1}{5}$

2. Write in set notation: $P(A \text{ or } B) = P(A \cup B)$

3. The complement of the intersection of sets A and B. $P(A \cap B)'$

4. At Pizza City, Peperoni is a popular topping. If set P represent the number of peperoni pizza ordered and S represents the number of Sausage pizza ordered, write the set notation of the intersection of the total pizzas topped with Peperoni and those topped with Sausage. $P(P \cap S)$

"n"

Station 3

1. A bag contains eight red marbles, seven blue marbles, and three green marbles. You randomly pick a marble and then pick a second marble **without returning** the marbles to the bag. What is the probability the first marble is red and the second is blue?

$8R$ $7B$ $3G$ 18
 $P(R \cap B) = \frac{8}{18} \cdot \frac{7}{17} = \frac{56}{306} = \frac{28}{153}$

2. $P(J) = 0.32$ $P(K) = 0.6$

Given that these are independent events, estimate $P(J \text{ and } K)$.

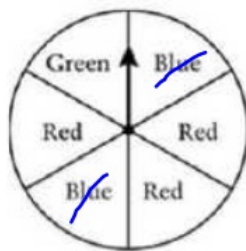
$0.32 \cdot 0.6 = 0.192$

3. Which of the following events are independent given $P(A)$, $P(B)$, and $P(A \text{ and } B)$? (Can be more than one answer.)

- a. $P(A) = \frac{1}{2}$ $P(B) = \frac{1}{2}$ $P(A \text{ and } B) = \frac{11}{40}$ ~~X~~
 $\frac{1}{2} \cdot \frac{1}{2} = \frac{1}{4} \neq \frac{11}{40}$ Dep.
- c. $P(A) = 0.4$ $P(B) = 0.6$ $P(A \cap B) = 0.18$
 $0.4 \cdot 0.6 = 0.24 \neq 0.18$ Dep
- e. $P(A) = \frac{3}{5}$ $P(B) = \frac{7}{10}$ $P(A \text{ and } B) = \frac{21}{50}$
 $\frac{3}{5} \cdot \frac{7}{10} = \frac{21}{50}$ Ind.

- b. $P(A) = \frac{1}{5}$ $P(B) = \frac{3}{10}$ $P(A \text{ and } B) = \frac{3}{50}$ ✓
 $\frac{1}{5} \cdot \frac{3}{10} = \frac{3}{50}$ Ind.
- d. $P(A) = 0.3$ $P(B) = 0.4$ $P(A \cap B) = 0.12$
 $0.3 \cdot 0.4 = 0.12$ Ind.
- f. $P(A) = 0.2$ $P(B) = 0.45$ $P(A \cap B) = 0.09$
 $0.2 \cdot 0.45 = 0.09$ Ind.

4. If a card is drawn and the spinner below is spun once, what is the probability of drawing a "j" and spinning a blue?



$\frac{2}{6}$

j	j	p	f	p	j
f	p	j	f	j	p

$\frac{5}{12}$

$P(j \cap \text{blue}) = \frac{5}{12} \cdot \frac{2}{6} = \frac{10}{72} = \frac{5}{36}$

Station 4

1. The letters that spell **HIPPŌPŌTĀMŪS** are put into a bag. What is the probability of selecting a vowel and then, **without replacing**, selecting a P?

$$P(\text{vowel} \cap P) = \frac{5}{12} \cdot \frac{3}{11} = \frac{15}{132} = \frac{5}{44}$$

2. A bag contains four Falcons hats, 3 Hawks hats, and five Braves hats. You randomly pick a hat and then **return it** to the bag before picking another. What is the probability of picking a Braves hat the first time and a Falcons hat the second?

$$4F, 3H, 5B:12 \quad \frac{5}{12} \cdot \frac{4}{12} = \frac{20}{144} = \frac{5}{36}$$

3. You flip a coin three times. What is the probability that the first flip lands heads-up, the second flip lands heads-up, and the third flip lands on tails?

$$(H) (H) (T) \quad \frac{1}{2} \cdot \frac{1}{2} \cdot \frac{1}{2} = \frac{1}{8}$$

Station 5

1. In families that own more than one vehicle, 46% of them have a car and an SUV and 58% have an SUV. What percentage of families have car **given** that they have an SUV?

$$\frac{\text{both}}{\text{2nd event}} = \frac{.46}{.58} = .7931 = 79\%$$

2. Of 750 people surveyed, 345 like Arby's, 405 like Zaxby's, and 286 like Arby's and Zaxby's. What is the probability that a person chosen at random likes Arby's **given** that they like Zaxby's?

$$P(A|Z) = \frac{P(A \cap Z)}{P(Z)} = \frac{286}{405}$$

3. When looking at the association between the events "speaking Spanish" and "speaking French", if the events are **independent**, then the probability:

$$P(\text{speaking Spanish} | \text{speaking French}) \text{ is equal to } P(\text{speaking Spanish})$$

↓
1st event

Station 6

	Sport Utility Vehicle (SUV)	Sports Car	Totals
male	21	39	60
female	135	45	180
Totals	156	84	240

Math8ts.com

1. P(SUV | female) $\frac{P(SUV \cap \text{female})}{P(\text{female})} = \frac{135}{180} = \left(\frac{3}{4}\right)$
2. P(Sports Car | Male)
3. P(female | sports car) $\rightarrow \frac{P(SC \cap m)}{P(m)} = \frac{39}{60} = \left(\frac{13}{20}\right)$

$$\frac{P(F \cap SC)}{P(SC)} = \frac{45}{84} = \left(\frac{15}{28}\right)$$

	High School Diploma	Bachelor's Degree	Master's/ Doctoral Degree	Total
Male	16	46	3	65
Female	12	51	3	66
Total	28	97	6	131

$$\begin{array}{r} 28 \\ -16 \\ \hline 12 \end{array} \quad \begin{array}{r} 46 \\ +51 \\ \hline 97 \end{array} \quad \begin{array}{r} 6 \\ -3 \\ \hline 3 \end{array} \quad \begin{array}{r} 51 \\ 12 \\ 3 \\ \hline 66 \end{array}$$

4. Fill in the table above
5. P(High School Diploma | Female) $\frac{P(HSD \cap F)}{P(F)} = \frac{12}{66} = \left(\frac{2}{11}\right)$
6. P(Bachelor's Degree | Male) $\frac{P(BD \cap M)}{P(M)} = \left(\frac{46}{65}\right)$